# Module 10: Wet Lab Applications to Medical Devices

BMES Cell Team
Spring 2021



### Outline

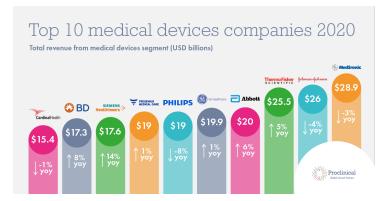
- Wet Lab meets Dry Lab
  - Industry Applications
- Electrical Engineering Principles
  - Introduction to Circuitry
  - Differential Equations
- Implants
- Bioreactors
- Diagnostics





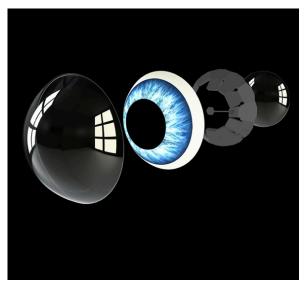
### Why is this important?

- Bioengineering exists at the intersection of wet and dry lab
- You will likely be applying your technical skills to medical device problems
  - 1 in 4 biomedical engineers work for a medical manufacturer
  - Product success depends on good drug absorption and excretion



# Real Life Example: Intersection of Wet & Dry Lab

### Mojo Vision – Augmented Reality Contact Lens



### Real Life Example: Intersection of Wet & Dry Lab

### Mojo Vision – Augmented Reality Contact Lens

Electrical
Engineering &
Physics
(LED Circuitry,
Batteries, Optics)

Mechanical Engineering (Computer Aided Design of Lens)



Bioengineering (Wet Lab Testing for Biocompatibility)

> Chemical Engineering (Material Interactions)

### Real Life Example: Intersection of Wet & Dry Lab

### Mojo Vision – Augmented Reality Contact Lens

### Companies like this one are looking for engineers with your technical skills!

### ME Intern

SARATOGA, CA / DESIGN - DESIGN / INTERN

# Display Characterization Engineer

SARATOGA, CA / ENGINEERING - PHOTONICS ENGINEERING / FULL-TIME

#### Skillset

- Knowledge of basic product design mechanical engineering. Strong mechanical aptitude focused on small
  compact electronic product design including integration of PCBs, antennas and power supply within
  Plastic injection molded housings. Comprehension of thermals, assembly methods and manufacturing
  processes are a plus.
- Proficient knowledge of 3D CAD programs such as Solidworks and or Fusion 360.
   Previous ME internship or product development support is also a plus.
  - Required Qualifications
  - · You have a B.A or M.S. in Electrical Engineer, Physics or related technical field
  - · You may be a recent graduate with preferably at least 1 year lab experience
- Programming skills in Python and/or MATLAB
- · You are able to work independently and bring projects to completion
- Excellent communication skills and an enthusiastic team player

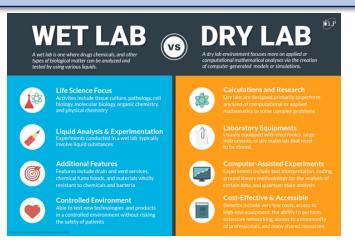
### Create Your Own Position

SARATOGA, CA / GENERAL / FULL-TIME

https://jobs.lever.co/mojovision

### Wet Lab vs. Dry Lab

 Definition: A wet lab involves working with liquid chemicals and other biological hazards to conduct experiments. A dry lab focuses on mathematical and computational analysis of data.



# **Industry Applications**

- Medical Devices are typically developed in the dry lab and tested in the wet lab for biocompatibility
  - Definition: A material is biocompatible if it is able to serve its therapeutic function without deleterious effects with the human body.

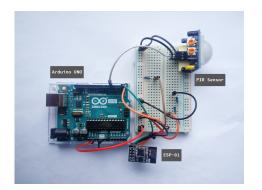
Materials used in prosthesis, implants, and drug delivery are tested for biocompatibility

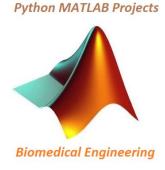




### Role of Electrical Engineering

- Most medical devices require a well designed power supply and programming to support their therapeutic function
  - Bioengineers in the medical device space should have a good understanding of circuitry and coding to support their device design and wet lab validation





# Module 10A – Introduction to Circuitry

Justin Chen $^1$ , Anya Bekhtel $^1$ 

<sup>1</sup>BMES Cell Team

April 2021

### Outline

Basic Circuit Elements

2 Kirchoff's Laws

### Outline

Basic Circuit Elements

2 Kirchoff's Laws

### Resistors

### **Definition**

A **resistor** is a linear, two-terminal circuit element whose function is to reduce current flow along a path.

• The symbol for a resistor is as follows:

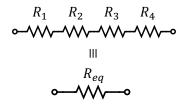


• The characteristic equation for a resistor is defined by Ohm's Law

$$v \equiv iR$$
 (1)



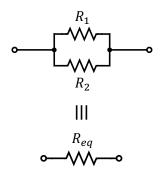
### Resistors in Series



• We can define an equivalent resistor  $R_{eq}$  for a set of resistors in series by the following relationship:

$$R_{eq} = R_1 + R_2 + \dots + R_N = \sum_{i=1}^{N} R_i$$
 (2)

### Resistors in Parallel



• We can define an equivalent resistor  $R_{eq}$  for a set of resistors in parallel by the following relationship:

$$\frac{1}{R_{eq}} = \frac{1}{R_1} + \frac{1}{R_2} + \dots + \frac{1}{R_N} = \sum_{i=1}^N \frac{1}{R_i}$$
 (3)

# Power Dissipated by a Resistor

• The power dissipated by a resistor is given by:

$$P = iv (4)$$

• Combining equations (1) and (4) gives us two other ways to define power:

$$P = i^2 R = \frac{v^2}{R} \tag{5}$$

# Capacitors

### Definition

A **capacitor** is a linear, two-terminal circuit element whose function is to store energy in an *electric* field  $\vec{E}$ .

• The symbol for a capacitor is as follows:



The characteristic equation for a capacitor is defined as follows:

$$i \equiv C \frac{dv}{dt} \tag{6}$$

# Capacitors in Series and Parallel

• We can define an equivalent capacitor  $C_{eq}$  for a set of capacitors in series by the following relationship:

$$\frac{1}{C_{eq}} = \frac{1}{C_1} + \frac{1}{C_2} + \dots + \frac{1}{C_N} = \sum_{i=1}^N \frac{1}{C_i}$$
 (7)

• We can define an equivalent capacitor  $C_{eq}$  for a set of capacitors in parallel by the following relationship:

$$C_{eq} = C_1 + C_2 + ... + C_N = \sum_{i=1}^{N} C_i$$
 (8)

### Inductors

### Definition

An **inductor** is a linear, two-terminal circuit element whose function is to store energy in a *magnetic* field  $\vec{B}$ .

• The symbol for a capacitor is as follows:



The characteristic equation for an inductor is defined as follows:

$$v \equiv L \frac{di}{dt} \tag{9}$$



### Inductors in Series and Parallel

• We can define an equivalent inductor  $L_{eq}$  for a set of inductors in series by the following relationship:

$$L_{eq} = L_1 + L_2 + \dots + L_N = \sum_{i=1}^{N} L_i$$
 (10)

• We can define an equivalent inductor  $L_{eq}$  for a set of inductors in parallel by the following relationship:

$$\frac{1}{L_{eq}} = \frac{1}{L_1} + \frac{1}{L_2} + \dots + \frac{1}{L_N} = \sum_{i=1}^N \frac{1}{L_i}$$
 (11)

# Principle of Duality

- In Physics, the principle of duality holds for a lot of concepts and quantities
- The constitutive equations between duals are opposites of one another
- For instance:
  - A parallel circuit is the dual of a series circuit
  - An inductor L is the dual of a capacitor C

$$v_L = L rac{di}{dt} \iff i_C = C rac{dv_c}{dt}$$
 $L_{eq,series} = \sum_{i=1}^N L_i \iff C_{eq,series} = \sum_{i=1}^N rac{1}{C_i}$ 
 $L_{eq,parallel} = \sum_{i=1}^N rac{1}{L_i} \iff C_{eq,parallel} = \sum_{i=1}^N C_i$ 

# Steady State Analysis of DC Circuits

- ullet Capacitors act as an open circuit at  $t o \infty$ 
  - ullet Will later show this in the derivation of  $v_c$  in an RC circuit
- Inductors act as a short circuit at  $t \to \infty$

### Outline

Basic Circuit Elements

② Kirchoff's Laws

# Background

- Kirchoff's Laws are used as the starting point for derivations of complex circuits
- After combining Kirchoff's Laws with the characteristic equations described in (1), (6), and (9), we end up with an ordinary differential equation
- This differential equation can be used to solve for voltage and current at certain points in the circuit

# Voltage and Current Sources

- Batteries are the source for voltage and current in a circuit
- Typically, only one quantity is given and not the other



- For a voltage source, the current travels through the circuit from the positive end to the negative end
- For a current source, the current travels in the direction of the arrow

# Kirchoff's Voltage Law

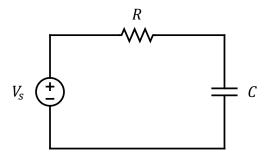
### **Definition**

**Kirchoff's Voltage Law** (KVL) states that the sum of all voltage drops around a loop is equal to zero.

$$\sum_{(i)} v_j = 0$$

### **KVL** Example

• For the circuit below, write down the characteristic differential equation using Kirchoff's Voltage Law as a starting point.



### Kirchoff's Current Law

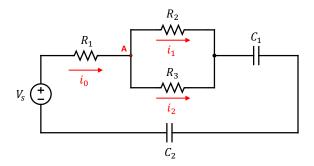
### **Definition**

**Kirchoff's Current Law** (KCL) states that the sum of all currents entering or leaving a node is equal to zero.

$$\sum_{i}i_{j}=0$$

# KCL Example

• For the circuit below, write down the KCL equation for node A in terms of  $i_0$ ,  $i_1$ , and  $i_2$ .



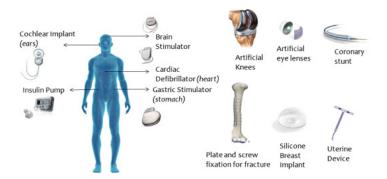
# Applications of Kirchoff's Laws

We will derive the characteristic equations for the following circuits in the slides to come.

- 1st Order Circuits
  - RC Circuits
  - RL Circuits
- 2nd Order Circuits
  - RLC Circuits

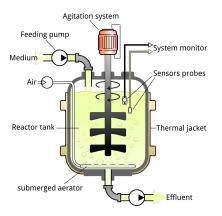
### **Implants**

**Definition:** An implant is a device placed inside or on the surface of the body in order to replace a missing or nonfunctional body part



### **Bioreactors**

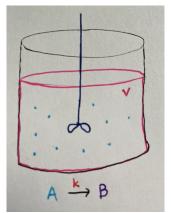
 Definition: A bioreactor is a device that supports a biologically active environment. A bioreactor is typically a vessel used to create a desired biological product (ex: bacteria, cells, pharmaceutical compounds).



Dr. Kamei 2020 BE 110

# **Types of Bioreactors**

- Batch Reactor
  - No inlet or outlet liquid streams
  - Inlet and outlet gas streams to provide oxygen and remove carbon dioxide



volume is constant

• 
$$\frac{dV}{dt} = 0$$

 moles of compound A at time t = moles of compound A at start – moles of compound A consumed

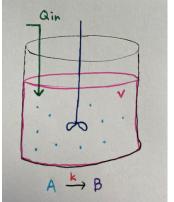
• 
$$n_A(t) = n_A(t_0) - n_B(t)$$
  
• Assuming  $n_B(t_0) = 0$   
•  $\frac{dn_A}{dt_0} = -kC_AV$ 

• 
$$C_A = \frac{moles\ of\ A}{volume}$$

Dr. Kamei 2020 BE 110

# **Types of Bioreactors**

- Fed-Batch Reactor
  - Inlet and outlet gas streams
  - Inlet liquid streams to bring reactants in
    - Cannot attain steady state



volume increases over time

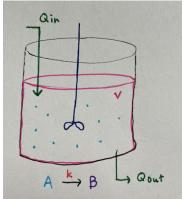
• 
$$\frac{dV}{dt} = Q_{in}$$
  
•  $Q_{in} = \frac{Liters\ into\ tank}{time}$ 

 moles of compound A at time t = moles of compound A at start – moles of compound A consumed

• 
$$n_A(t) = n_A(t_0) - n_B(t)$$
  
• Assuming  $n_B(t) = 0$   
•  $\frac{dn_A}{dt} = Q_{in}C_{A,in} - kC_AV$   
•  $C_{A,in} = \frac{moles\ of\ A\ going\ in\ volume}{volume}$ 

# **Types of Bioreactors**

- Continuous Stirred-Tank Reactor (CSTR)
  - Inlet and outlet gas streams
  - Inlet and outlet liquid streams
    - Can attain steady state
  - A CSTR that cultivates cells is called a chemostat



volume changes over time

• 
$$\frac{dV}{dt} = Q_{in} - Q_{out}$$

• moles of compound A changes over time

• 
$$n_A(t) = n_A(t_0) - n_B(t)$$

• Assuming  $n_B(t) = 0$ 

• 
$$\frac{dn_A}{dt} = Q_{in}C_{A,in} - Q_{out}C_{A,out} - kC_AV$$
  
•  $C_{A,out} = \frac{moles\ of\ A\ out}{volume}$   
Dr. Kamei 2020 BE 110

# Diagnostics

- Definition: A diagnostics device uses patient samples to determine whether or not the patient has a medical condition.
- Integration of wet-lab testing into a user product



